

# SUPPRESSION OF DOUBLE-FREQUENCY RIPPLE WITH ANN CONTROL FOR A SINGLE-PHASE PV QUASI-Z-SOURCE INVERTER

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**Abstract**—In this paper we are implementing a single phase photovoltaic system (PV), which have been exist a double frequency mismatch and it also exist in between the dc input side and ac output side. Therefore, according to the capacitance reduction control strategy which is proposed to buffer the DFR energy in single-phase Z-source/quasi-Z-source inverter applications. We are using the ANN control ANN is nonlinear model that is easy to use and understand compared to statistical methods. ANN is non-parametric model while most of statistical methods are parametric model that need higher background of statistic. According to the single-stage photovoltaic (PV) system, power irregularity will be existing between the AC yield and DC input. therefore the double-frequency ripple (DFR) energy will required to be buffered by passive network. In a conventional PV system, due to their high capacitance electrolytic capacitors are usually used. Electrolytic capacitors are considered to be one of the most failure prone components in a PV inverter. The proposed control strategy can significantly reduce the capacitance requirement and achieve low input voltage DFR. Consequently, highly reliable film capacitors can be used. Due to the proposed control strategy the increased switching device voltage stress and power loss will also be discussed. By using the simulation results we can analyze the proposed method.

**Index Terms**—Capacitance reduction, double-frequency ripple (DFR), Z-source (ZS)/quasi-Z-source (QZS), ANN control.

## INTRODUCTION

In the recent years for the photovoltaic application the voltage fed z-source inverter and quasi z-source inverter are considered. This inverter features single stage buck boost transformer. It is due to shoot through capability. For the single phase and three phase applications the z-source inverter and quasi z source inverter are utilized. The voltage-fed z-source inverter (ZSI) and quasi-Z-source inverter (QZSI) has been considered for photovoltaic (PV) application in recent years [1-3]. These inverters feature single-stage buck-boost and improved reliability due to the shoot-through capability. The ZSI and QZSI are both utilized in three-phase and single-phase applications [1-5]. The singlephase

ZSI/QZSI can also be connected in cascaded structure for higher voltage application and higher performance [6].

The mismatched ac ripple is termed as double-frequency ripple (DFR) in this paper. In three-phase applications, the Z-source (ZS)/ quasi-Z-source (QZS) network only needs to be designed to handle the high-frequency ripples. However, in single-phase application, the ZS/QZS network needs to handle not only the high-frequency ripples but also the low-frequency ripple. The QZSI will be used in this paper to study the low-frequency ripple issue and present the proposed control strategy. A single-phase QZSI system is shown in Fig. 1.

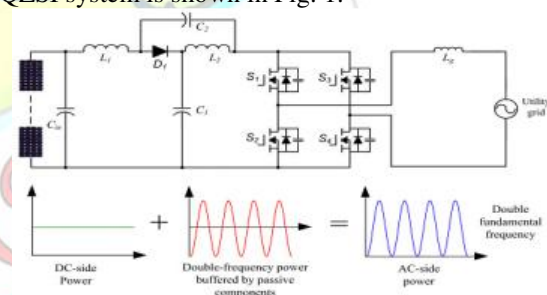


Fig. 1. Diagram of a single-phase QZSI based PV system.

Ideally, the dc-side output power is pure dc and the ac-side power contains a dc component plus ac ripple component whose frequency is two times the grid voltage frequency. The mismatched ac ripple is termed as double-frequency ripple (DFR) in this paper. In order to study the low frequency ripple issues QZSI is used in this paper. A single phase QZSI system is shown in fig.1. The output power at DC side is pure DC and AC side power contains DC component plus AC ripple component whose frequency is two times the grid frequency. The mismatched AC ripple in the system is coined as double frequency ripple (DFR).

In this paper, a new control strategy is proposed for ZSI/ QZSI to mitigate the input DFR without using large capacitance, which enables us to use the highly reliable film capacitors. There is no

extra hardware needed to implement the capacitance reduction. The proposed control system incorporates a modified modulation strategy and a DFR suppression controller. The gallium nitride (GaN) devices are applied in the inverter to increase the system efficiency at high switching frequency. Finally, experimental results are provided to verify the effectiveness of the proposed control system.

In order to balance the power mismatch between the dc side and ac side, the DFR power needs to be buffered by the passive components, mainly the QZS capacitor  $C_1$  which has higher voltage rating than  $C_2$ . The DFR peak power is the same as the dc input power, so large capacitance is needed to buffer this ripple energy. To achieve high inverter power density with reasonable cost, electrolytic capacitors are usually selected. Christo Ananth et al.[5] presented a brief outline on Electronic Devices and Circuits which forms the basis of the Clampers and Diodes.

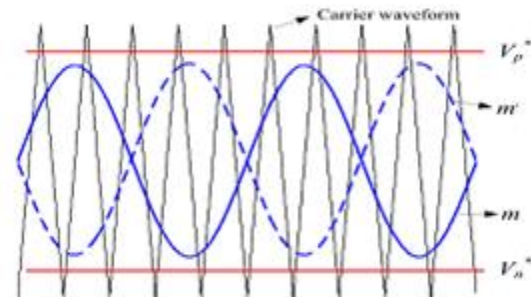
Two additional smoothing-power circuits are employed to reduce the DFR of DC-link voltage in ZSI. However, the added circuits increase the system cost and complexity. A low-frequency harmonic elimination PWM technique is presented to minimize the doublefrequency ripple on Z-source capacitors. However, the method is used for application with constant voltage input source and double-frequency ripple current is induced in the inductor and the input side. This is not suitable for the PV application, because the ripple current will decrease the energy harvest from the PV panels.

### PROPOSED CONTROL SYSTEM FOR CAPACITANCE REDUCATION

The basic principle of the proposed capacitance reduction method can be explained by (1).

$$\Delta E = \frac{1}{2} C (v_{C-max}^2 - v_{C-min}^2) \quad (1)$$

Where  $C$  is the capacitance,  $\Delta E$  is the ripple energy that is stored in the capacitor, and  $V_{C-max}$  and  $V_{C-min}$  are the maximum and minimum voltages across the capacitor. According to (1), there are two ways to increase  $\Delta E$ . One is to increase the capacitance  $C$ , and the other way is to increase the voltage fluctuation across the capacitor. Instead of increasing the capacitance, the proposed control system will increase the voltage fluctuation across the QZS capacitors to buffer more double-frequency power. A dedicated strategy is needed to impose the DFR on QZS capacitors while preventing the ripple energy from flowing into the input.

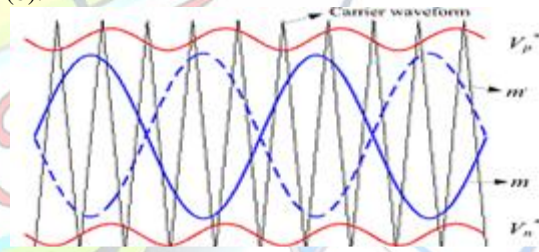


(a)

Fig. 2. The modulation strategy of (a) traditional method

In conventional single-phase QZSI, the modulation strategy is shown in Fig. 2(a). The two-phase legs of the full bridge are modulated with 180o opposed reference waveforms,  $m$  and  $m'$  to generate three-level voltage output. Two straight lines  $V_p^*$  and  $V_n^*$  are used to generate the shoot through duty ratio. When the triangular carrier is greater than  $v_p^*$  or the carrier is smaller than  $V_n^*$ , all four switches  $S_1 - S_4$  turn on simultaneously for shoot-through.

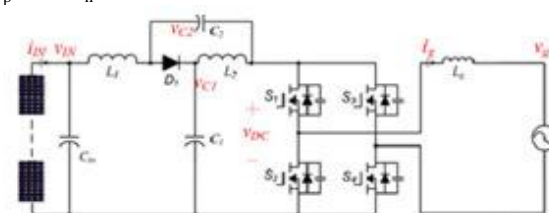
In the proposed control system, the shoot-through control lines  $V_p^*$  and  $V_n^*$  are modified to a line with double frequency component as shown in Fig. 2(b).



(b)

Fig. 2. The modulation strategy of (b) proposed method.

By doing so, the dc side and the QZS capacitor DFR can be decoupled. An input DFR suppression controller is added in the control system to generate the double-frequency component in  $V_p^*$  and  $V_n^*$ .





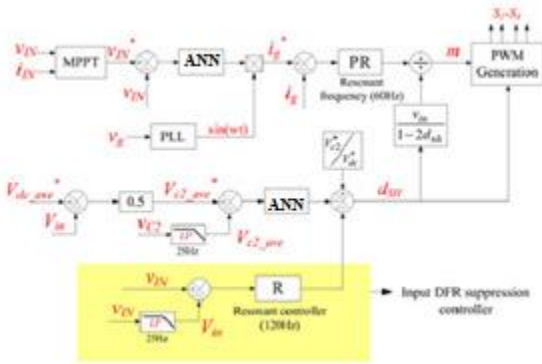


Fig. 3. Diagram of the proposed control system.

Fig. 3 shows the detailed control system diagram of the proposed single-phase QZSI. The proposed control contains the maximum power point tracking (MPPT) controller, grid connected current controller, QZS capacitor voltage controller and input DFR suppression controller. The MPPT controller provides the input voltage reference  $V_{IN}^*$ . The error between  $V_{IN}^*$  and  $V_{IN}$  is regulated by ANN controller and its output is the magnitude of the grid current reference. The grid current  $I_g$  is regulated by controlling the inverter modulation index  $m$  through a proportional resonant (PR) controller. The PR controller has a resonance frequency equal to the grid frequency. The QZS capacitor voltage is regulated by controlling  $D_{SH}$ . If the inverter loss is not enough

$$\begin{cases} L_1 \frac{di_{L1}}{dt} = \left(1 + \frac{T_{AB} + T_{OB}}{T_s - T_{AB} - T_{OB}}\right) (v_{C1} + v_{C2}) d_{SH} + \frac{T_{SBU}}{T_s - T_{AB} - T_{OB}} (v_{C1} + v_{C2}) - v_{C1} + v_{1N} \\ L_2 \frac{di_{L2}}{dt} = \left(1 + \frac{T_{AB} + T_{OB}}{T_s - T_{AB} - T_{OB}}\right) (v_{C1} + v_{C2}) d_{SH} + \frac{T_{SBU}}{T_s - T_{AB} - T_{OB}} (v_{C1} + v_{C2}) - v_{C2} \\ C_1 \frac{dv_{C1}}{dt} = i_{L1} - (i_{L1} + i_{L2}) d_{SH} - \frac{T_{SBU}}{T_s} (i_{L1} + i_{L2}) - \left(\frac{T_{AC}}{T_s} + \frac{T_{AB}}{T_s}\right) i_{DC} \\ C_2 \frac{dv_{C2}}{dt} = i_{L2} - (i_{L1} + i_{L2}) d_{SH} - \frac{T_{SBU}}{T_s} (i_{L1} + i_{L2}) - \left(\frac{T_{AC}}{T_s} + \frac{T_{AB}}{T_s}\right) i_{DC} \end{cases} \quad (2)$$

where  $T_s$  is the switching period,  $T_{AB}$ ,  $T_{OB}$ ,  $T_{SBU}$ ,  $T_{AC}$ , and  $T_{SBI}$  are time intervals of different operation states, as listed in the appendix,  $m$  is the modulation signal and  $D_{SH} = T_{SBI} / T_s$ . The small signal model can be derived accordingly as in (3).

$$\begin{cases} L_1 \frac{d\hat{i}_{L1}}{dt} = \left(1 + \frac{T_{AB} + T_{OB}}{T_s - T_{AB} - T_{OB}}\right) (v_{C1} + v_{C2}) \hat{d}_{SH} + \frac{T_{SBU}}{T_s - T_{AB} - T_{OB}} (\hat{v}_{C1} + \hat{v}_{C2}) - (1 - D_{SH}) \hat{v}_{C1} + D_{SH} \hat{v}_{C2} + v_{1N} \\ L_2 \frac{d\hat{i}_{L2}}{dt} = \left(1 + \frac{T_{AB} + T_{OB}}{T_s - T_{AB} - T_{OB}}\right) (v_{C1} + v_{C2}) \hat{d}_{SH} + \frac{T_{SBU} + T_{AB} + T_{OB}}{T_s - T_{AB} - T_{OB}} (\hat{v}_{C1} + \hat{v}_{C2}) - (1 - D_{SH}) \hat{v}_{C2} + D_{SH} \hat{v}_{C1} \\ C_1 \frac{d\hat{v}_{C1}}{dt} = \left(1 - D_{SH} - \frac{T_{SBU}}{T_s}\right) \hat{i}_{L1} - \left(D_{SH} + \frac{T_{SBU}}{T_s}\right) \hat{i}_{L2} + (I_{L1} + I_{L2}) \hat{d}_{SH} - \left(\frac{T_{AC}}{T_s} + \frac{T_{AB}}{T_s}\right) \hat{i}_{DC} \\ C_2 \frac{d\hat{v}_{C2}}{dt} = \left(1 - D_{SH} - \frac{T_{SBU}}{T_s}\right) \hat{i}_{L1} - \left(D_{SH} + \frac{T_{SBU}}{T_s}\right) \hat{i}_{L2} + (I_{L1} + I_{L2}) \hat{d}_{SH} - \left(\frac{T_{AC}}{T_s} + \frac{T_{AB}}{T_s}\right) \hat{i}_{DC} \end{cases} \quad (3)$$

This RHP zero will limit the system dynamic response. However, the decrease of  $C_1$  will not significantly change the position of the RHP zero. There are two pairs of conjugated poles located on the imaginary axis, which indicate possible resonances at two different frequencies. The lower-

frequency resonance is more related to  $C_1$  and the higher-frequency resonance is mainly determined by  $C_2$ . To damp the oscillation, dedicated active damping is needed to deal with the oscillation and  $V_{C2}$  information is required for the implementation. Due to the limited space, the detail of the active damping is not presented in this paper and will be covered in future paper. The  $V_{C2}$  voltage controller only regulates the average value of  $V_{C2}$ , which is  $V_{C2\_ave}$ , due to the low-pass filter in the signal feedback with a cutoff frequency of 25Hz. Therefore, the capacitor voltage controller has limited influence on double-frequency component and most DFR energy can be kept in QZS capacitors.  $V_{dc\_ave}$  should be selected carefully so that the value of  $D_{SH}$  does not become negative because of the double-frequency swing, and the summation of  $D_{SH}$  and  $m$  is always smaller than 1. A feedforward component  $V_{C2}^* / V_{dc\_ave}$  is added to the output of the capacitor voltage controller to increase the dynamic performance.

## IMPACT OF CAPACITANCE REDUCTION

### A. System stability

In order to apply the proposed control system, it is necessary to study impact of decreasing  $C_1$  on system stability. The possible operation states of voltage fed QZSI have been presented in and it is summarized in the appendix with equivalent circuits, and the averaged model of QZSI can be obtained as in (2).

frequency resonance is more related to  $C_1$  and the higher-frequency resonance is mainly determined by  $C_2$ .

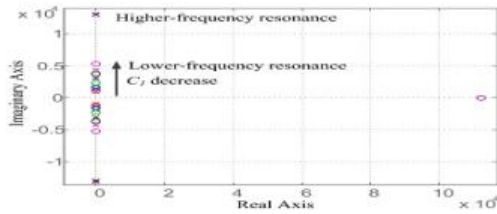


Fig. 4. Root loci of the system with C1 parameter sweeping.

Therefore, it is seen that the higher resonant frequency does not change much with the C<sub>1</sub> change. The lower resonant frequency increases when C<sub>1</sub> decreases. Because there is always a zero close to the lower-frequency pole, the lower-frequency resonance is largely damped. Decreasing C<sub>1</sub> does not affect the system stability much.

### B. Increased device voltage stress and power loss

When the proposed method is applied, the double frequency voltage ripple across V<sub>C1</sub> and V<sub>C2</sub> will be increased intentionally. The dc link voltage across the H-bridge V<sub>DC</sub> will also include DFR which could increase the voltage stress of switching devices. Because V<sub>C1</sub> is much higher than V<sub>C2</sub>, most double-frequency energy is stored in C<sub>1</sub>. The value of V<sub>C1</sub> can be calculated using the following equation

$$\frac{1}{2} C_1 v_{C1}^2 = \frac{1}{2} C_1 v_{C1-ave}^2 + \int_0^t (P_{in} - P_{AC}) dt \quad (4)$$

where V<sub>C1-ave</sub> is the average value of V<sub>C1</sub>, P<sub>in</sub> is the input power and P<sub>AC</sub> is the instantaneous ac output power. P<sub>AC</sub> can be calculated in (6).

$$P_{AC} = V_{g-p} \sin(\omega t) * I_{g-p} \sin(\omega t) = \frac{1}{2} V_{g-p} I_{g-p} [1 - \cos(2\omega t)] = P_{in} [1 - \cos(2\omega t)] \quad (5)$$

where V<sub>g-p</sub> and I<sub>g-p</sub> are the peak value of v<sub>g</sub> and I<sub>g</sub>. Therefore, we can get

$$v_{C1} = v_{C1-ave} + \Delta v_{C1-dfr} = \sqrt{V_{C1-ave}^2 + \frac{P_{in}}{\omega C_1} \sin(2\omega t)} = \sqrt{\left(\frac{V_{dc-ave} + V_{in}}{2}\right)^2 + \frac{P_{in}}{\omega C_1} \sin(2\omega t)} \quad (6)$$

where Δv<sub>C1-dfr</sub> is the DFR component of v<sub>C1</sub>. In (7), the value of V<sub>in</sub> and P<sub>in</sub> are determined by the PV array operating point. V<sub>dc-ave</sub> is indirectly controlled by regulating V<sub>C2-ave</sub> as shown in Fig.3. Therefore, when V<sub>dc-ave</sub>\* is selected and the PV array operating point is determined, V<sub>C1</sub> can be calculated. It is seen that larger ΔV<sub>C1-dfr</sub> can reduce the size of C<sub>1</sub>. V<sub>DC</sub> during non-shoot period can be obtained as

$$v_{DC} = 2v_{C1} - v_{in} = 2\sqrt{\left(\frac{V_{dc-ave} + V_{in}}{2}\right)^2 + \frac{P_{in}}{\omega C_1} \sin(2\omega t)} - v_{in} \quad (7)$$

It is seen from (8), when C<sub>1</sub> and P<sub>in</sub> are fixed, the switching device voltage stress is mainly determined by V<sub>dc-ave</sub> and V<sub>in</sub>. There is an optimized value of V<sub>dc-ave</sub>\* for different input voltage conditions to minimize the switching device voltage stress.

$$m = \frac{V_{g-p} \sin(\omega t)}{v_{DC}} \quad (8)$$

In order to take advantage of the buck-boost feature of the QZSI, the input voltage range is usually selected that V<sub>g-p</sub> is among the input voltage range. For the proposed method, the maximum switching device voltage stress could happen at maximum or minimum V<sub>in</sub>. When V<sub>in</sub> is larger than V<sub>g-p</sub>, no shoot-through is needed in conventional design and D<sub>SH</sub> equal to zero. However, for the proposed method, certain value of D<sub>sh-ave</sub> is needed to make sure D<sub>SH</sub> does not become negative values because of the double-frequency swing. Higher V<sub>in</sub> leads to higher peak value of V<sub>DC</sub>.

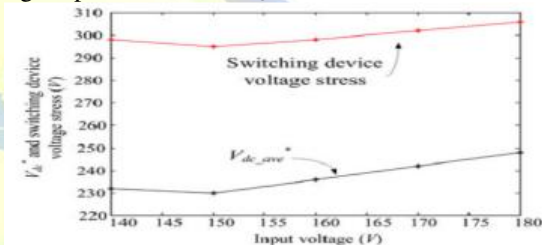


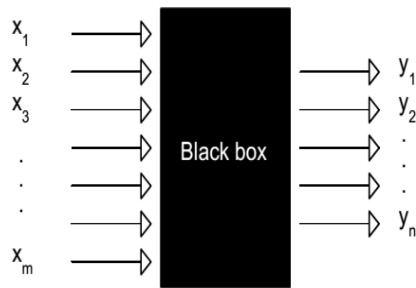
Fig. 5. V\*dc-ave and switching device voltage stress at different input voltages.

## ARTIFICIAL NEURAL NETWORK

### Introduction

In the last few decades, as the chemists have get accustomed to the use of computers and consequently to the implementation of different complex statistical methods. With the increasing accuracy and precision of analytical measuring methods it become clear that all effects that are of interest cannot be described by simple uni-variate and even not by the linear multivariate correlations precise, a set of methods, that have recently found very intensive use among chemists are the artificial neural networks (or ANNs for short).

Therefore, the analytical chemists are always eager to try all new methods that are available to solve such problems. One of the methods, or to say more Due to the fact that this is not one, but several different methods featuring a wide variety of different architectures learning strategies and applications.



Input variables      Non-linear relation      Output variables  
Fig 6. Neural network as a black-box featuring the non-linear relationship between the multivariate input variables and multi-variate responses

### BASIC CONCEPTS OF ANNS

Artificial neuron is supposed to mimic the action of a biological neuron, i.e., to accept many different signals,  $x_i$ , from many neighboring neurons and to process them in a pre-defined simple way. Depending on the outcome of this processing, the neuron  $j$  decides either to fire an output signal  $y_j$  or not. The output signal (if it is triggered) can be either 0 or 1, or can have any real value between 0 and 1 (Fig. 2) depending on whether we are dealing with 'binary' or with 'real valued' artificial neurons, respectively.

The first function is a linear combination of the input variables,  $x_1, x_2, \dots, x_i, \dots, x_m$ , multiplied with the coefficients,  $w_{ji}$ , called 'weights', while the second function serves as a 'transfer function' because it 'transfers' the signal(s) through the neuron's axon to the other neurons' dendrites. Here, we shall show now how the output,  $y_j$ , on the  $j$ -th neuron is calculated. First, the net input is calculated according to equation

$$Net_j = \sum_{i=1}^m w_{ji} x_i \quad (9)$$

$$y_j = out_j = \frac{1}{1 + \exp[-a_j(Net_j + \theta_j)]} \quad (10)$$

The weights  $w_{ji}$  in the artificial neurons are the analogues to the real neural synapse strengths between the axons firing the signals.

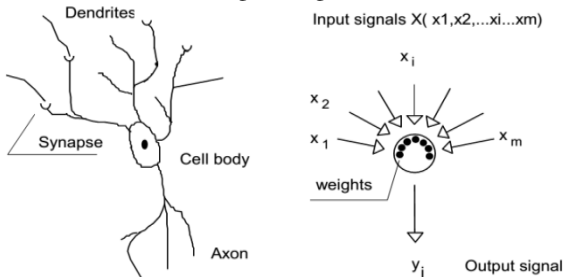


Figure 7. Comparison between the biological and artificial neuron. The circle mimicking the neuron's cell body represents simple mathematical procedure that makes one output signal  $y_j$  from the set input signals represented by the multi-variate vector  $X$ .

It is important to understand that the form of the transfer function, once it is chosen, is used for all neurons in the network, regardless of where they are placed or how they are connected with other neurons. What changes during the learning or training is not the function, but the weights and the function parameters that control the position of the threshold value,  $q_j$ , and the slope of the transfer function

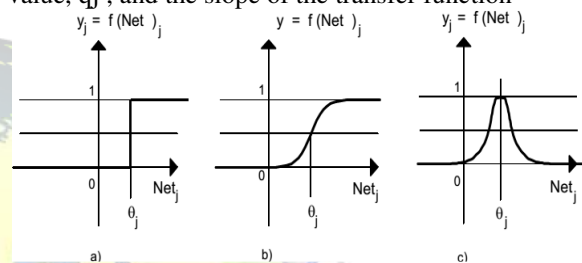


Figure 8. Three different transfer functions: a threshold (a), a sigmoidal (b) and a radial function (c). The parameter  $q_j$  in all three functions decides the  $Net_j$  value around which the neuron is most selective.

Therefore, Figure shows a 2-layer and a 3-layer networks with the input layer being inactive. The reader should be careful when reading the literature on ANNs because authors sometimes actually refer to the above ANNs as to the two and three-layer ones. We shall regard only the active layer of neurons as actual layer and will therefore name this network as one and two-layer ANNs.

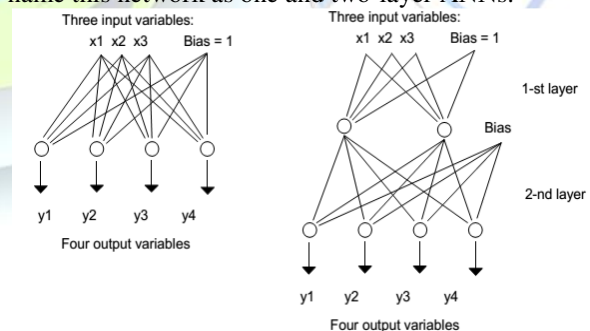


Figure 9. One-layer (left) and two-layer (right) ANNs. The ANNs shown can be applied to solve a 3-variable input 4-responses output problem



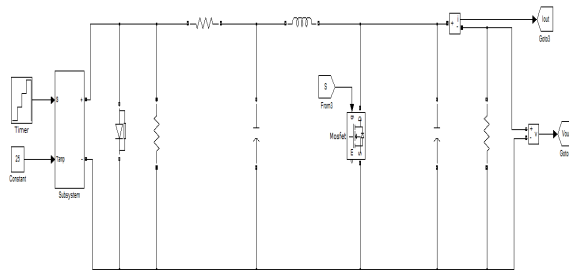


Fig.10. Block diagram of simulation

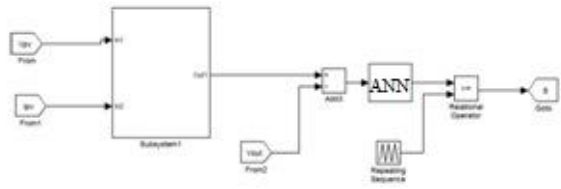


Fig.11. Control block diagram of simulation

### SIMULATION RESULTS

For the proposed method, there is a design trade-off between the demand of decreasing  $C_1$  and the increased voltage stress across the switching devices.

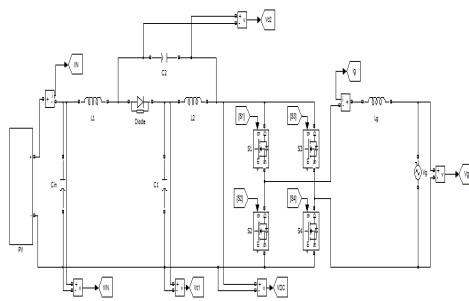


Fig.12. Block diagram of simulation

TABLE II.  
PARAMETERS OF THE QZSI UNDER STUDY

qZSI Component	Parameters
Input voltage $v_{IN}$	140-180V
Grid voltage $v_g$	120Vrms
$C_1$	2mF for conventional system 200 $\mu$ F for proposed system
$C_2$	20 $\mu$ F
$L_1$	330 $\mu$ H
$L_2$	215 $\mu$ H
$L_g$	600 $\mu$ H
Switching frequency	100kHz

They are provided in Fig. 13. It is seen that the maximum voltage stress across the switching devices happens at  $V_{in}=180V$  in this design.

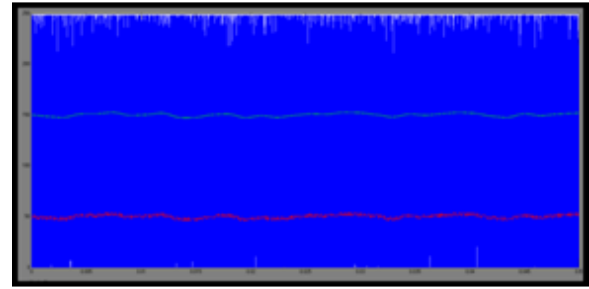


Fig. 13. The  $v_{DC}$ ,  $v_{IN}$  and  $v_{C2}$  waveforms of the QZSI with the conventional control,  $C_1=2mF$ .

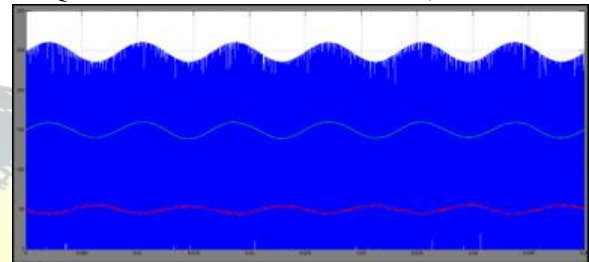


Fig. 14. The  $v_{DC}$ ,  $v_{IN}$  and  $v_{C2}$  waveforms of the QZSI with the conventional control,  $C_1=200\mu F$

The waveforms for the QZSI with 200 $\mu$ F capacitor, but without the proposed control provided in Fig. 14. The waveforms of the system with the proposed control strategy are shown in Fig. 15

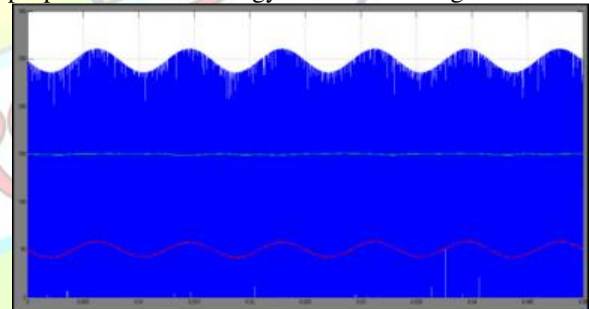


Fig. 15. The  $v_{DC}$ ,  $v_{IN}$  and  $v_{C2}$  waveforms of the QZSI with the proposed control,  $C_1=200\mu F$ .

The efficiency comparison of the conventional QZSI and the QZSI with proposed control at different power outputs is provided in Table. III.

TABLE III.  
EFFICIENCY COMPARISON OF THE  
CONVENTIONAL QZSI AND QZSI WITH THE  
PROPOSED CONTROL

	300W	400W	500W	600W
$C_f=2mF$ with conventional control	93.05%	93.18%	93.66%	93.76%
$C_f=200\mu F$ with proposed control	92.36%	93.06%	93.48%	93.55%

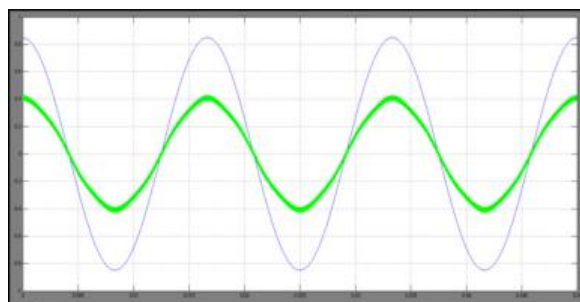


Fig. 16. The output current waveform of the QZSI with the proposed control,  $C_1=200\mu F$ .

### CONCLUSION

In this paper we are developed the new control strategy which is proposed to minimize the capacitance requirement in single-phase QZSI PV system. According to the proposed control system incorporates a modified modulation strategy and a DFR suppression controller. Neural networks offer a number of advantages, including requiring less formal statistical training, ability to implicitly detect complex nonlinear relationships between dependent and independent variables, ability to detect all possible interactions between predictor variables, and the availability of multiple training algorithms along with another controller because of the better performance. Therefore by using large capacitance, the QZS capacitors are imposed with higher double-frequency voltages to store the double-frequency ripple energy. In ANN is non-parametric model while most of statistical methods are parametric model that need higher background of statistic basic control action and improve the efficiency. Therefore in order to enhance the ripple energy flowing into the input PV side, a modified modulation and an input DFR suppression controller are used to decouple the input voltage ripple from the QZS capacitor DFR. In this paper capacitance reduction control strategy is

proposed to buffer the DFR energy in Z source or Quasi Z source inverter application. The proposed control strategy can significantly reduced the capacitance requirement without using any extra hardware component. This can also achieve low input voltage DFR. Consequently, highly reliable film capacitors can be used.

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