

# EXPERIMENTAL INVESTIGATION ON BEHAVIOUR OF COLD FORMED BUILT-UP I-SECTION WITH TRAPEZOIDAL CORRUGATED WEB BY VARYING THE FLANGE WIDTH

Sabarinathan, AP&HOD/CIVIL, Jayalakshmi Institute of Technology, Tamilnadu-636352, India

S.Manimegalai, AP/CIVIL, Jayalakshmi Institute of Technology, Thoppur, Tamilnadu-636352, India

**Abstract-** The purpose of usage of cold formed steel is increasing rapidly around the world due to many advances in construction and manufacturing technologies and relevant standards. However the structural characteristics of thin walled structure is characterized by a range of buckling modes such as local buckling, global buckling, distortional buckling or flexural torsional buckling. These buckling problems generally lead to severe reduction and complicated calculations of their member strength.

Hence it is necessary to eliminate or delay these buckling problems and simplify the strength calculation of cold formed structures. To overcome this, the corrugated web can be used, which require no stiffeners, so it permits the use of thinner plates with significant weight saving.

In this thesis, the behavior of built-up lipped-I section with trapezoidal corrugation in web under two point loading are investigated. Totally seven beams are investigated Analytically, Theoretically and Experimentally by varying the width of flange from 80mm to 140mm with 20mm increment and by varying tension or bottom flange width from 60mm to 100mm keeping top flange width constant as 100mm. All the parameters of beam like depth of web, span, and corrugation profile are kept constant.

Theoretical investigation is carried out using North American code (2008), and British standard 5950 -1998.A Non-linear numerical analysis is also carried out using ANSYS 12.0 software. The results predicted using codes and analytical and experimental works are compared.

**Keywords:** Trapezoidal Corrugation, North American Specification,(NAS), Ansys12.0, Cold-Formed Steel (CFS).

## I. INTRODUCTION

Cold Formed Steel Structural members are cold formed in rolls or press brakes from flat steel. Under mass production they are framed most economically by cold rolling, while smaller quantities of special shapes are most economically produced on press brakes. Members are connected by spot, fillet, plug, or spot welds, by screw, bolts, cold rivets, or any other special devices. The use of cold formed steel structures has become increasingly popular in different fields of building technology.

There has been a steady growth in the use of cold formed steel frame in the residential construction, automobile industry, ship building, rail transport, the aircraft industry engineering, agricultural and industrial equipments, chemical, mining, nuclear and space industries. The structural properties and type of loading of built-up I – Sections with corrugations cause, typical static behaviour of these structures.

Cold formed steel members are widely employed in steel

accessible cost of high-strength low-alloy steels, weathering steels, and zinc-coated steels have led to members with height/thickness ratios, rendering them even more susceptible to local buckling and to another buckling mode called distortional, Z sections, hat, rack, etc. Hence, current versions of technical codes for cold-formed steel design have warned about the importance of this phenomenon, outlining procedures to evaluate member strength based on distortional buckling.

It is most widely used all over the world, because of more advantages than the hot rolled steel section and replace hot rolled steel for its more economical design as well as easy to construct the structures.

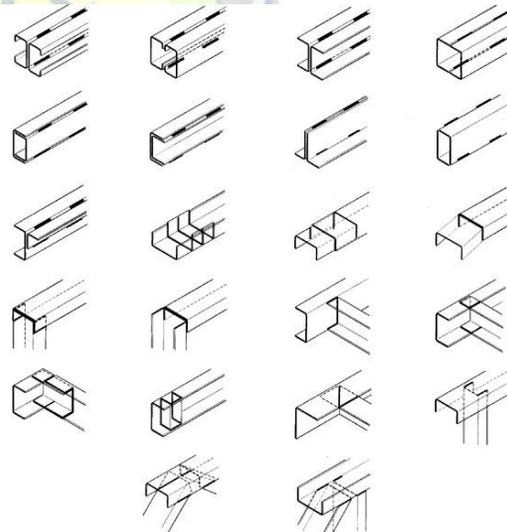


Fig .1 Cold Formed Steel Sections

## II. THEORETICAL WORK

### General

The following three buckling patterns can occur in the corrugated webs:

- Local buckling mode
- Global buckling mode
- Distortional buckling mode

The details of specimen used in the theoretical investigation are as follows.



**Table .1 Details of Specimen**

Specimen	Span L (mm)	WebThk $t_w$ (mm)	Flange Thk $t_f$ (mm)	Flange width $b_f$ (mm)		Lip (mm)	Depth of Web $h$ (mm)
				Top	Bottom		
<b>BY VARYING THE WIDTH OF FLANGE</b>							
TCIF – 1	3000	1.2	2	100	100	15	350
TCIF – 2	3000	1.2	2	80	80	15	350
TCIF – 3	3000	1.2	2	120	120	15	350
<b>BY VARYING TENSION OR BOTTOM FLANGE WIDTH</b>							
TCITF – 4	3000	1.2	2	100	90	15	350
TCITF – 5	3000	1.2	2	100	80	15	350
TCITF – 6	3000	1.2	2	100	70	15	350
TCITF – 7	3000	1.2	2	100	60	15	350

**Design Calculation of Corrugated I Section as per NAS-2008 for Specimen-1 (TCIF-1(80mm-80mm))**

**Flexural Strength for TCIF-1:**

Nominal flexural strength;

$$M_n = S_e * F_c$$

Where,  $M_n$  = Bending moment in kNm

$S_e$  = section modulus =  $79.641 \times 10^3 \text{ mm}^3$ .

$F_y$  = Yield strength in MPa = 210 MPa.

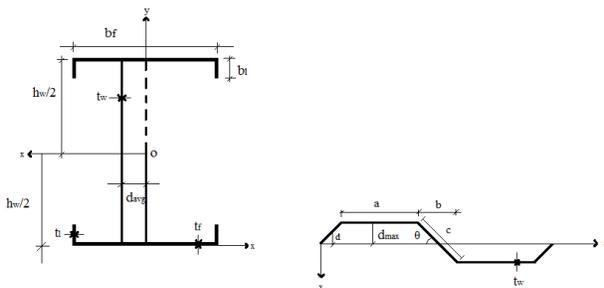
Section modulus ( $S_e$ ):

$$M_n = S_e * F_y$$

$$M_n = 210 \times 79.641 * 10^3$$

$$= 16.72 \text{ kNm}$$

$W_{cr} = 33,449 \text{ N}$ .



**Lateral torsional buckling strength:**

$$F_c = C_b \pi^2 E d I_{yc} / S_f (K_y L_y)^2$$

$$= 1 \times \pi^2 \times 2 \times 10^5 \times 350 \times 6.207 \times 10^6 / 76.843 \times 10^3 (1 \times 3000)^2$$

$$= 6200 \text{ N/mm}^2$$

$$= 231.13 \text{ N/mm}^2$$

$$M_n = S_e * F_c$$

$$= 67.284 \times 10^3 \times 231.13$$

$$= 18.2551 \times 10^6 \text{ Nmm}$$

$$W = 31103.18 \text{ N}$$

**Distorsional buckling strength:-**

$$K_d = 0.6 [80 \times 15 \times \sin 90 / (350 \times 1.2)]$$

$$= 1.458 \quad (0.5 < 1.458 < 8)$$

$$F_d = \beta \cdot k_d \cdot [\pi^2 E / 12 (1 - \mu^2)] [t / b_0]^2$$

$$= 1 \times 1.458 \times \pi^2 \times 2 \times 10^5 / [(12(1 - 0.3^2))] [1.2 / 80]^2$$

$$= 110.126 \text{ N/mm}^2$$

$$M_{crd} = S_e * f_y$$

$$= 76.843 \times 10^3 \times 110.126$$

$$= 8.462 \times 10^6 \text{ Nmm}$$

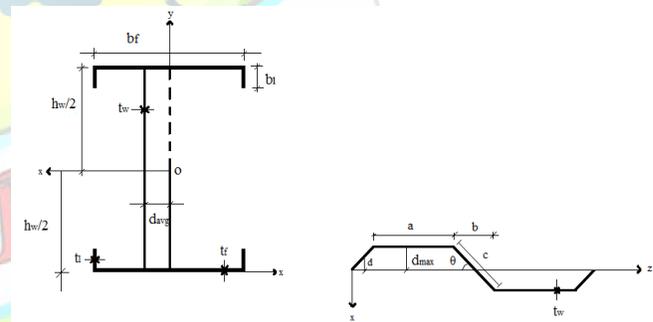
$$M_y = 16.72 \times 10^6 \text{ Nmm}$$

$$M_n = [1 - 0.22 (M_{crd} / M_y)^{0.5}] (M_{crd} / M_y)^{0.5} * M_y$$

$$= [1 - 0.22 (8.462 \times 10^6 / 16.72 \times 10^6)^{0.5}] (8.462 \times 10^6 / 16.72 \times 10^6)^{0.5} (16.72 \times 10^6)$$

$$= 10.03 \times 10^6 \text{ Nmm}$$

$$W = 20066 \text{ N}$$



**Table .2 Theoretical work Results from NAS**

Specimens	North American specification
	Load Carrying Capacity
TCIF-1	33500 N
TCIF-2	41267 N
TCIF-3	45800 N
TCIF- 4	51532 N
TCITF – 5	25500 N
TCITF – 6	26956 N
TCITF – 7	41267 N

**DESIGN AS PER BERAU OF INDIAN STANDARD**

**IS 801-1975.**

**Nominal Moment Capacity:-**



**Lateral Torsional Buckling:-**

$$L^2 \times S_e / D * I_{yc} > 0.36 \Pi^2 E / F_y < 1.8 \Pi^2 E / F_y$$

$$F_b = 2/3 * F_y - (F_y / (5.4 * \Pi^2 * E)) * L \times S_e / D * I_{yc}$$

$$M_n = F_b * I_{yc} / Y_c \text{ Nmm.}$$

**Load carrying capacity:**

The nominal flexural strength,  $M_n$ , is the minimum of  $M_{nc}$ ,  $M_{nl}$ .

The load carrying capacities of the specimens are calculated as follows:

**Table .2 Theoretical work Results from IS**

Specimens	Indian Standard
	Load Carrying Capacity
TCIF-1	34500
TCIF-2	40320
TCIF-3	46143
TCIF- 4	51956
TCITF – 5	25470
TCITF – 6	27080
TCITF – 7	40320

**III. ANALYTICAL WORK**

**INTRODUCTION**

The finite element method is a numerical analysis technique for obtaining approximate solutions to wide variety of Engineering problems. The basic concept behind the finite element analysis is that structure is divided into a finite number of elements having finite dimensions and reducing the structure having infinite degrees of freedom to finite degrees of freedom. Then original structure is assemblage of these elements connected at a finite number of joints called or Nodal points (Nodes). For the finite element analysis advanced software ANSYS 12 were used.

**BOUNDARY CONDITION**

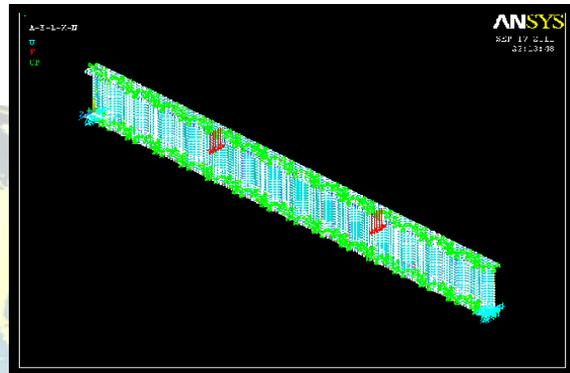
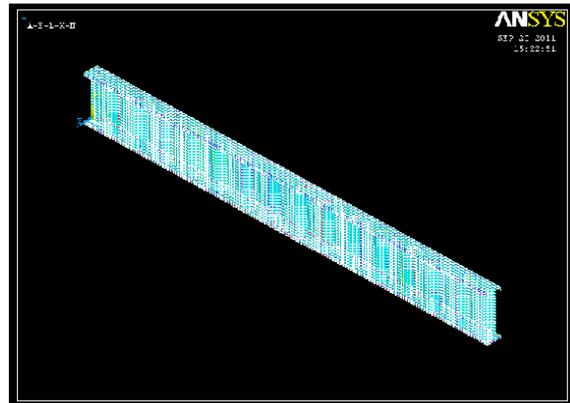
One end of the specimen was constrained in X, Y and Z directions and the other end of the specimen was constrained Y and Z direction. The nodes at the vertical side of the compression flange above, end stiffeners were constrained in the Z direction. The load was applied along transverse lines of the upper surface of the top flange above the stiffeners.

**SPECIMEN: TCIF-1 (80mm - 80mm)**

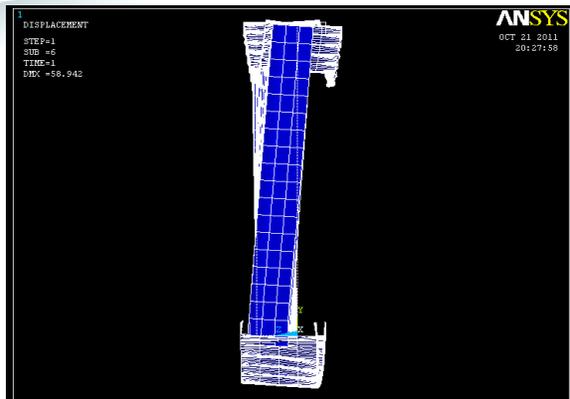
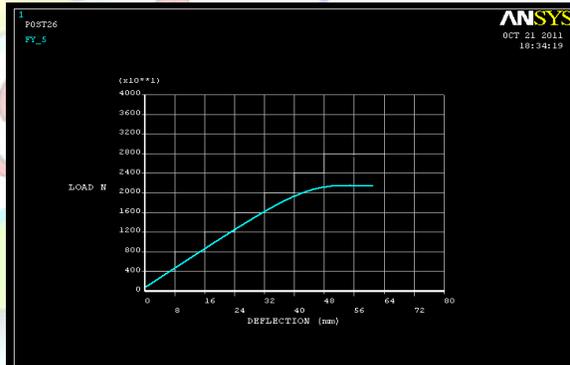
**ANSYS ANALYSIS FOR SPECIMEN TCIF - 1**

Specimen TCIF – 1 is of 80mm – 80mm top and bottom flange width, thickness is of 2mm. Web height is of 350mm and thickness 1.2mm. Length of the specimen TCIF – 1 is 3000mm. Lip size is of 15mm.

**FIG.2A ANALYSIS OF SPECIMEN BY ANSYS**



**FIG.2B ANALYSIS RESULT OF SPECIMEN BY ANSYS**



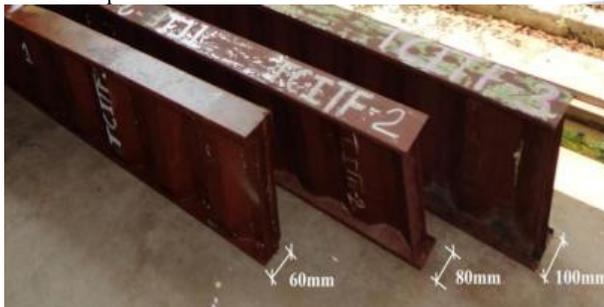
**Table .3 Analytical work Results from ANSYS**

Specimens	ANSYS
	<b>Load Carrying Capacity</b>
TCIF-1	42500 N
TCIF-2	45000 N
TCIF-3	47500 N
TCIF – 4	49000 N
TCITF – 5	25600 N
TCITF – 6	27100 N
TCITF – 7	45000 N

### III. EXPERIMENTAL TEST SETUP

#### Fabrication of Specimen:-

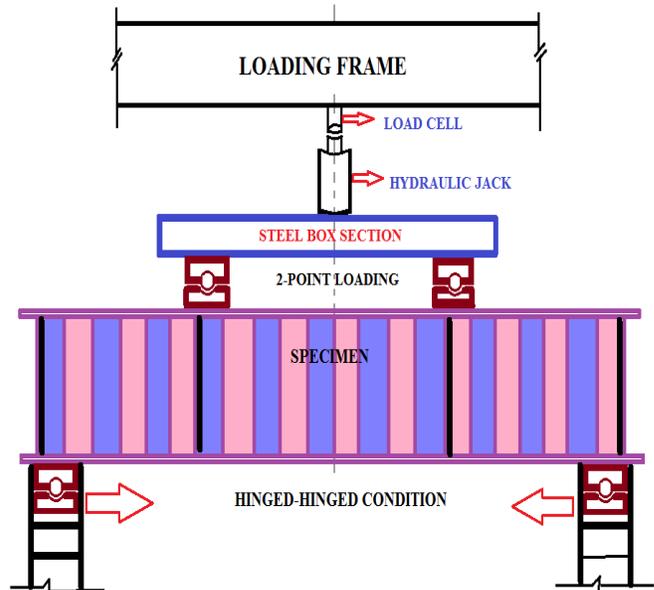
Details of specimen



#### TEST SETUP

- Specimen was tested in a loading frame of capacity 50 T or 500 kN.
- Specimens were laterally clamped at support to avoid lateral Specimen was tested in a loading frame of capacity displacement.
- Specimen is placed over a hinged support to provide hinged-end condition.
- Two point loading at L/3 distance is applied by placing a steel box section over the specimen.
- A roller support was provided at L/3 distance between specimen and the steel box section.
- A hydraulic jack with a capacity of 100 kN was placed

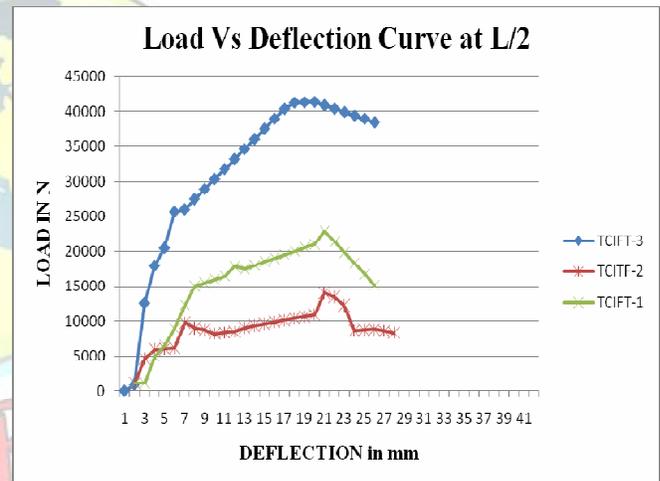
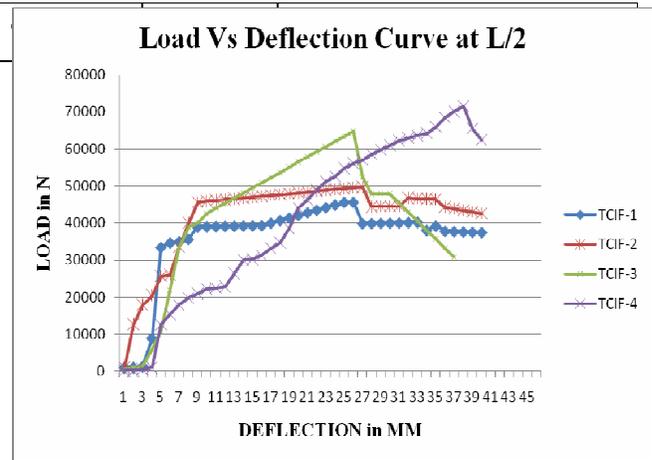
- 3 LVDT's are placed in such a arrangement that, one at L/2, one at L/3 and the third one to measure the lateral displacement of the specimen.



**FIG.3 TYPICAL EXPERIMENTAL ARRANGEMENT**

- 1=> Load cell
  - 2=>Hydraulic jack
  - 3=>Steel box section
  - 4=>Roller support (Simply supported condition)
  - 5=>Roller support (Hinged-Hinged condition)
  - 6=>LVDT at L/3 dist.
  - 7=>LVDT at Mid-span.
  - 8=>Strain gauge at Mid-span top.
  - 9=>Strain gauge at Mid-span bottom.
- While testing of all specimens, displacement, strain and load are recorded in **Data Acquisition System**.
  - Load is applied gradually up to failure, using the recorded readings, the following graphs are plotted.

#### ANALYSIS OF EXPERIMENTAL RESULTS



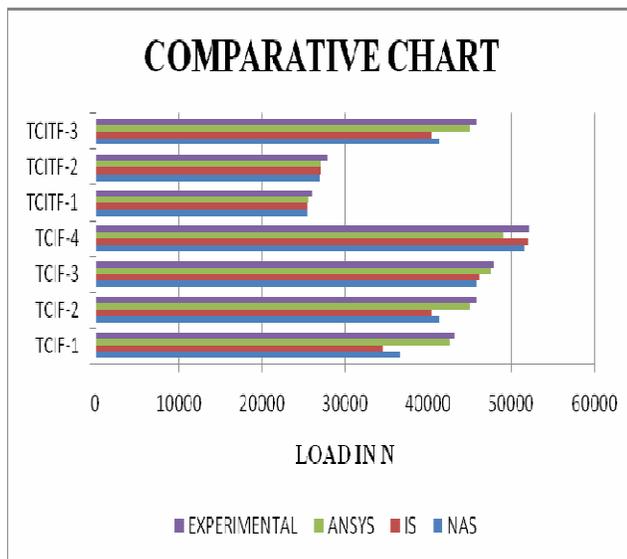
#### IV. RESULTS AND DISCUSSION

- From the table formulated, it can be concluded that the results of analytical and experimental work are well in good agreements, but comparatively the theoretical results were little lesser.
- As slenderness ratio increases, the ratio between ultimate stress to yielding stress were found to be same between experimental and analytical analysis.
- From the table the average value of  $P_T/P_E$ ,  $P_A/P_E$ , such as 0.9248, 0.9767, and 0.9510, 0.98125, were found to be same in both parametric study.
- From the standard deviation calculation,
  - i)  $P_T/P_E = 0.046451$
  - ii)  $P_A/P_E = 0.02327$
- It can be observed that the ratios between analytical and experimental results are reliable solutions.
- From the comparative chart plotted above the ultimate load carrying capacity in all cases were found to be more or less same.

SPECIMEN	FAILURE LOAD(N)	TYPE OF FAILURE
TCIF-1	43000N	Lateral torsional buckling
TCIF-2	45700N	Lateral buckling in compression flange
TCIF-3	48000N	Lateral buckling in compression flange
TCIF-4	26000N	Lateral buckling in compression flange
TCITF-5	27180N	Lateral torsional buckling



SPECIMEN	P <sub>T</sub> N	P <sub>E</sub> N	P <sub>A</sub> N
TCIF-1	33500 N	42500 N	43000N
TCIF-2	41267 N	45000 N	45700N
TCIF-3	45800 N	47500 N	48000N
TCIF-4	51532 N	49000 N	26000N
TCITF-5	25500 N	25600 N	27180N
TCITF-6	26956 N	27100 N	45000N
TCITF-7	41267 N	45000 N	48000N



### V. CONCLUSION

Some of the salient features of the experimental test results are presented as given below.

- From the table formulated, it can be concluded that the results of analytical and experimental work are well in good agreements, but comparatively the theoretical results were little lesser.
- Failure mode of specimen were, Initiation of local buckling of top compression flange, and Finally, Beam failed by lateral torsional buckling and lateral buckling as revealed by experimental results.
- Due to the corrugation provision, there is no failure in shear zone or web portion.

It can be observed that the ratios between analytical and experimental results are reliable solutions.

### References:

[1] Abbas HH, Sause R, Driver RG. "Behavior of corrugated web I-girders under in- plane loading". J Struct Eng, ASCE 2006;132(8):pp806-814.  
[2] Abbas HH, Sause R, Driver RG." Analysis of flange transverse bending of Corrugated web I-girders under in-plane loads". J Struct Eng, ASCE 2007;133(3): pp347-355.

[4] Elgaaly M, Hamilton RW, Seshadri A. "Shear strength of beam with corrugated webs. J Struct Eng", ASCE 1996;122(4):390\_8.  
[5] Elgaaly. M., R.W. Hamilton, A. Seshadri, "Shear strength of beam with corrugated webs", J. Struct. Eng. ASCE 122 (4) (1996) 390–398.  
[6] Elgaaly. M., A. Seshadri, R.W. Hamilton, "Bending strength of steel beams with corrugated webs", J. Struct. Eng. ASCE 123 (6) (1997) 772–782.  
[7] Elgaaly. M., A. Seshadri, "Girders with corrugated webs under partial compressive edge loading", J. Struct. Eng. ASCE 123 (6) (1997) 783–791.  
[8] Gil H, Lee S, Lee J, Lee HE. "Shear buckling strength of trapezoidal corrugated steel webs for bridges". J Transport Res Board 2005;CD11-S:473\_80.  
[9] Hamilton RW. "Behavior of welded girder with corrugated webs". Ph.D. thesis. Maine: University of Maine;1993.  
[10] Johnson R.P., J. Cafolla, "Local flange buckling in plate girders with corrugated webs", in: Proceedings of the Institution of Civil Engineers, Structures and Buildings, vol. 122, No. 2, 1997, pp. 148–156.  
[11] Johnson R.P., J. Cafolla, "Corrugated webs in plate girders for bridges", Proceedings of the Institution of Civil Engineers, Structures and Buildings, vol. 122, No. 2, 1997, pp. 157–164.  
[12] Moon J, Yi J, Choi BH, Lee HE. "Lateral\_torsional buckling of I-girder with corrugated webs under uniform bending". Thin Walled Struct 2008  
[13] Schafer, B.W., Peköz, T. (1999). "Laterally Braced Cold-Formed Steel Flexural Members with Edge Stiffened Flanges." Journal of Structural Engineering. 125(2).  
[14] Samanta A, Mukhopadhyay M. "Finite element static and dynamic analyses of folded plates". Eng Struct 1999;21:227-87.  
[15] Sayed-Ahmed E. Y. PhD, MSc, MCSCE, MIABSE. "Lateral torsion-flexure buckling of corrugated web steel girders". Proceedings of the Institution of Civil Engineers Structures & Buildings 158 February 2005 Issue SB1 Pages 53–69 Paper 13351  
[16] Timoshenko SP, Gere JM., "Theory of elastic stability". 2nd ed. NY: McGraw-Hill Publishing co.; 1961  
[17] Yi J, Gil H, Youm K, Lee HE. "Interactive shear buckling of trapezoidal Corrugated webs." Eng Struct 2008; 30:pp1659-66  
[18] Xiaobo Wang., "Behavior of steel members with trapezoidally corrugated webs and tubular flanges under static loading", A Thesis Submitted to the Faculty of Drexel University  
[19] Zhang. W, Y. Li, Q. Zhou, X. Qi, G.E.O. Widerra, "Optimization of the structure of an H-beam with either a flat or a corrugated web. Part 3". Development and research on H-beams with wholly corrugated webs, J. Mater. Process. Technol. 101 (1) (2000) 119–123.